

$H_s = 20^\circ 19',2$   
 $\varepsilon = 4',2$   
 $Dip = \underline{- 2',5} +$   
 $Ha = 20^\circ 20',9$   
 $+ sun\ correct.\ LL/UL = \underline{+ 13',6} +$   
 $**Ho = 20^\circ 34',5**$

**La Rochelle**

Date 26/01/2022  
UT 10h 40m 19s  
*index error = + 3'*  
 $+ non\ adjust.\ error = \frac{+ 1',2}{\varepsilon = + 4',2} +$   
 $L = 46^\circ 12' N$   
 $G = 004^\circ 31' W$   
Height of the eye = 2 m  
 $\boxtimes lower\ limb \quad \square upper\ limb$

$GHA = 326^\circ 52',8$   
 $+ pp = \underline{10^\circ 04',8}$  increment)  
 $GHA = 336^\circ 57',6$   
 $G = \underline{004^\circ 31'} W \quad G = \text{East} \rightarrow \text{add}$   
 $LHA = 332^\circ 26',6 \quad G = \text{West} \rightarrow \text{subtract}$   
 $LHA < 180^\circ ; \text{sun in the west}; P = LHA$   
 $LHA > 180^\circ ; \text{sun in the east}; P = 360 - LHA$   
 $**P = 27^\circ 33',4**$

$(d \uparrow or \downarrow = 0',6 \downarrow)$   
 $D = 18^\circ 40',1 S$   
 $corr. d = \underline{0',4}$   
 $**D = 18^\circ 39',7 S**$

$$\begin{aligned}
Hc &= \arcsin (\sin(L: 46^\circ 12') \times \sin(D: -18^\circ 39',7)) \\
&\quad + \cos(L: 46^\circ 12') \times \cos(D: -18^\circ 39',7) \\
&\quad \times \cos(P: 27^\circ 33',4)
\end{aligned}
\quad
\boxed{Hc = 20^\circ 30',8}$$

$$\begin{aligned}
Z &= \arccos ((\sin(D: -18^\circ 39',7) - \sin(L: 46^\circ 12')) \\
&\quad \times \sin(Hc: 20^\circ 30',8)) \div (\cos(L: 46^\circ 12') \\
&\quad \times \cos(Hc: 20^\circ 30',8))) = 152^\circ,1
\end{aligned}$$

$\boxtimes$  sun in the east  $Z_v = Z / \square$  sun in the west  $Z_v = 360 - Z$   $**Z_v = 152^\circ,1**$

$Ho = 20^\circ 34',5$	$+ \text{Intercept towards the sun}$
$Hc = \underline{20^\circ 30',8} -$	$- \text{Intercept away from the sun}$
$\text{intercept} = 3',7$	