

$H_s = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $\epsilon = \quad \quad \quad ' \quad \quad ''$
 $+ \text{Dip} = \quad \quad \quad ' \quad \quad ''$

 $H_a = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $+ \text{sun correct. LL/UL} = \quad \quad \quad ' \quad \quad ''$

 $H_o = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$

Date $\quad \quad / \quad \quad / \quad \quad \quad$
 UT $\quad \quad$ h $\quad \quad$ m $\quad \quad$ s
 $\text{index error} = \quad \quad \quad ' \quad \quad ''$
 $+ \text{non adjust. error} = \quad \quad \quad ' \quad \quad ''$
 $\epsilon = \quad \quad \quad ' \quad \quad ''$

 $L = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $G = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 Height of the eye = $\quad \quad$ m
☐ lower limb ☐ upper limb

$GHA = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $+ pp = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '' + \text{increment}$
 $GHA = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $G = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '' \quad \quad G = \text{East} \rightarrow \text{add}$
 $LHA = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '' \quad \quad G = \text{West} \rightarrow \text{subtract}$

 $LHA < 180^\circ$; sun in the west; $P = LHA$
 $LHA > 180^\circ$; sun in the east; $P = 360 - LHA$

 $P = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$

(corr. $d \uparrow$ or $\downarrow = \quad \quad \quad ' \quad \quad ''$)

 $D = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $+ d = \quad \quad \quad ' \quad \quad ''$

 $D = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$

$H_c = \arcsin \left(\sin (L : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \times \sin (D : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right.$
 $\left. + \cos (L : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \times \cos (D : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right.$
 $\left. \times \cos (P : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right)$

 $H_c = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$

$Z = \arccos \left(\left(\sin (D : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') - \sin (L : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right) \right.$
 $\left. \times \sin (H_c : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right) \div \left(\cos (L : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right.$
 $\left. \times \cos (H_c : \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad '') \right)$

☐ sun in the east $Z_v = Z$ / ☐ sun in the west $Z_v = 360 - Z$ $Z_v = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$

$H_o = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $- H_c = \quad \quad \quad ^\circ \quad \quad \quad ' \quad \quad ''$
 $\text{intercept} = \quad \quad \quad ' \quad \quad ''$

 intercept = $H_o - H_c$
 - Intercept away from the sun
 + Intercept towards the sun