

EASYSEXTANT



Training material for sight reduction with Sun observations.

Manual calculation of intercept and Sun azimuth

8 exercises with solutions:

1. La Rochelle
2. Madagascar
3. Perth
4. San Francisco
5. Galapagos
6. Tokyo
7. Pointe-a-Pitre
8. Rotterdam

INSTRUCTIONS

The greyed-out values, determined by the navigator, include the Greenwich Hour Angle (GHA) of the Sun and the declination (D) at the hour, taken from the nautical almanac.

The calculation then proceeds to determine intercept and Sun azimuth.

$$H_s = 20^\circ 19',2$$

$$\varepsilon = 4',2$$

$$\text{Dip} = \underline{\quad - 2',5 \quad} +$$

$$H_a = 20^\circ 20',9$$

$$\text{sun correct. LL/UL} = \underline{\quad + 13',6 \quad} +$$

$$H_o = 20^\circ 34',5$$

La Rochelle

Date 26/01/2022

UT 10h 40m 19s

$$\text{index error} = + 3'$$

$$+ \text{ non adjust. error} = \underline{+ 1',2}$$

$$\varepsilon = + 4',2$$

L = 46°12' N

G = 004°31' W

Height of the eye = 2 m

lower limb upper limb

$$\text{GHA} = 326^\circ 52',8$$

$$+ pp = \underline{10^\circ 04',8} \quad (\text{increment})$$

$$\text{GHA} = 336^\circ 57',6$$

$$G = \underline{004^\circ 31' W} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 332^\circ 26',6 \quad G = \text{West} \rightarrow \text{subtract}$$

$$LHA < 180^\circ ; \text{sun in the West} ; P = LHA$$

$$LHA > 180^\circ ; \text{sun in the East} ; P = 360 - LHA$$

$$P = 27^\circ 33',4 \quad \text{NE} / \text{NW} / \text{SE} / \text{SW}$$

$$(d \uparrow \text{ or } \downarrow = 0',6 \downarrow)$$

$$D = 18^\circ 40',1 \text{ S}$$

$$\text{correc. } d = \underline{0',4}$$

$$D = 18^\circ 39',7 \text{ S}$$

$$L = 46^\circ 12' \quad \Rightarrow$$

$$D = \underline{18^\circ 39',7}$$

$$(L/D) = 64^\circ 51',7 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,8402$$

$$(T1) \quad \text{LOG COS } D = 9,9765$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{9,0548} +$$

$$\text{LOG } 2e \text{ T} = 28,8715$$

$$(T3) \quad \text{COS } (L/D) = 0,4248$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{0,0745} -$$

$$\text{SIN } H_c = 0,3503$$

$$(T3) \quad H_c = 20^\circ 30',3$$

$$H_o = 20^\circ 34',5$$

$$H_c = \underline{20^\circ 30',3} -$$

$$\text{intercept} = 4',2 \quad (+ \text{ ou } -)$$

L et D **same** name

→ (L - D) or (D - L)

L et D **not same** name

→ (L + D)

Bataille Azimuth (T5)

$$m = -0.64$$

$$n = -0.24$$

$$m+n = -0.88$$

$$Z = 27.5^\circ \quad Z_v = 152.5^\circ$$

	Latitude North		Latitude South	
	$m+n > 0$	$m+n < 0$	$m+n > 0$	$m+n < 0$
Z → Z_v				
LHA > 180° morning	Z _v = Z	Z _v = 180 - Z	Z _v = 180 - Z	Z _v = Z
LHA < 180° afternoon	Z _v = 360 - Z	Z _v = 180 + Z	Z _v = 180 + Z	Z _v = 360 - Z

$$H_s = 50^{\circ}43',8$$

$$\varepsilon = -2',2$$

$$+ \text{ Dip} = \underline{-3',6} +$$

$$H_a = 50^{\circ}38,0'$$

$$+ \text{ sun correct. LL/UL} = \underline{+15',4} +$$

$$H_o = 50^{\circ}53',4$$

Madagascar

Date 05/02/2022

UT 11h 55m 29s

$$\text{index error} = -4'$$

$$+ \text{ non adjust. error} = \underline{+1',8} +$$

$$\varepsilon = -2',2$$

$$L = 30^{\circ}24' \text{ S}$$

$$G = 044^{\circ}13' \text{ E}$$

Height of the eye = 4 m

lower limb upper limb

$$\text{GHA} = 341^{\circ}30',6$$

$$+ pp = \underline{13^{\circ}52',3} \text{ increment)$$

$$\text{GHA} = 355^{\circ}22',9 \quad G = \text{West} \rightarrow \text{subtract}$$

$$G = \underline{044^{\circ}13' \text{ E}} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 039^{\circ}35',9$$

$LHA < 180^{\circ}$; sun in the **West** ; $P = LHA$

$LHA > 180^{\circ}$; sun in the **East** ; $P = 360 - LHA$

$$P = 039^{\circ}35',9 \quad \square \text{ NE} \quad \square \text{ NW} \quad \square \text{ SE} \quad \square \text{ SW}$$

$$(d \uparrow \text{ or } \downarrow = 0',8 \downarrow)$$

$$D = 15^{\circ}51',4 \text{ S}$$

$$\text{corr. } d = \underline{0',7}$$

$$D = 15^{\circ}50',7 \text{ S}$$

$$L = 30^{\circ}24' \quad \Rightarrow$$

$$D = 15^{\circ}50',7 \text{ +/-}$$

$$(L/D) = 14^{\circ}33',3 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,9358$$

$$(T1) \quad \text{LOG COS } D = 9,9832$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{9,3607} +$$

$$\text{LOG } 2e \text{ T} = 29,2797$$

$$(T3) \quad \text{COS } (L/D) = 0,9679$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{0,1904} -$$

$$\text{SIN } H_c = 0,7775$$

$$(T3) \quad H_c = 51^{\circ}02'$$

$$H_o = 50^{\circ}53',4$$

$$H_c = 51^{\circ}02',0 -$$

$$\text{intercept} = -8',6 \quad (+ \text{ ou } -)$$

L et D **same** name

$\rightarrow (L - D) \text{ or } (D - L)$

L et D **not same** name

$\rightarrow (L + D)$

Bataille Azimuth (T5)

$$m = -0.38$$

$$n = +0.25$$

$$m+n = -0.13$$

$$Z = 78,5^{\circ}$$

$$Z_v = 281,5^{\circ}$$

	Latitude North		Latitude South	
	$m+n > 0$	$m+n < 0$	$m+n > 0$	$m+n < 0$
$Z \rightarrow Z_v$				
$LHA > 180^{\circ}$ morning	$Z_v = Z$	$Z_v = 180 - Z$	$Z_v = 180 - Z$	$Z_v = Z$
$LHA < 180^{\circ}$ afternoon	$Z_v = 360 - Z$	$Z_v = 180 + Z$	$Z_v = 180 + Z$	$Z_v = 360 - Z$

$$H_s = 36^{\circ}54',1$$

$$\varepsilon = 2',7$$

$$\text{Dip} = \underline{\quad - 2',5 \quad} +$$

$$H_a = 36^{\circ}54',3$$

$$+ \text{sun correct. LL/UL} = \underline{\quad 14',7 \quad} +$$

$$H_o = 37^{\circ}09',0$$

Perth

Date 16/08/2022

UT 07h 14m 35s

$$\text{index error} = +1'$$

$$+ \text{non adjust. error} = \underline{+ 1',7} +$$

$$\varepsilon = 2',7$$

L = 27°25' S

G = 106°39' E

Height of the eye = 2 m

lower limb upper limb

$$\text{GHA} = 283^{\circ}54',8$$

$$+ pp = \underline{3^{\circ}38',8} \quad \text{increment)$$

$$\text{GHA} = 287^{\circ}33',6 \quad G = \text{West} \rightarrow \text{subtract}$$

$$G = \underline{106^{\circ}39' \text{ E}} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 034^{\circ}12',6$$

$LHA < 180^{\circ}$; sun in the West; $P = LHA$

$LHA > 180^{\circ}$; sun in the East; $P = 360 - LHA$

$$P = 034^{\circ}12',6 \quad \square \text{ NE} \quad \square \text{ NW} \quad \square \text{ SE} \quad \square \text{ SW}$$

$$(d \uparrow \text{ or } \downarrow = 0',8 \downarrow)$$

$$D = 13^{\circ}42',9 \text{ N}$$

$$\text{corr. } d = \underline{0',2}$$

$$D = 13^{\circ}42',7 \text{ N}$$

$$L = 27^{\circ}25' \quad \Rightarrow$$

$$D = 13^{\circ}42',7 \text{ +/-}$$

$$(L/D) = 41^{\circ}07',7 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,9483$$

$$(T1) \quad \text{LOG COS } D = 9,9874$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{9,2381} +$$

$$\text{LOG } 2e \text{ T} = 29,1738$$

$$(T3) \quad \text{COS } (L/D) = 0,7532$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{0,1492} -$$

$$\text{SIN } H_c = 0,6040$$

$$(T3) \quad H_c = 37^{\circ}09',5$$

$$H_o = 37^{\circ}09',0$$

$$H_c = \underline{37^{\circ}09',5} -$$

$$\text{intercept} = -0',5 \quad (+ \text{ ou } -)$$

L et D **same** name

$\rightarrow (L - D)$ or $(D - L)$

L et D **not same** name

$\rightarrow (L + D)$

Bataille Azimuth (T5)

$$m = -0.38$$

$$n = -0.22$$

$$m+n = -0.60$$

$$Z = 43^{\circ}$$

$$Z_v = 317^{\circ}$$

	Latitude North		Latitude South	
	$m+n > 0$	$m+n < 0$	$m+n > 0$	$m+n < 0$
Z \rightarrow Zv				
LHA > 180° morning	Zv = Z	Zv = 180 - Z	Zv = 180 - Z	Zv = Z
LHA < 180° afternoon	Zv = 360 - Z	Zv = 180 + Z	Zv = 180 + Z	Zv = 360 - Z

$$H_s = 27^{\circ}31',6$$

$$\varepsilon = -1',5$$

$$\text{Dip} = \underline{-3',6} +$$

$$H_a = 27^{\circ}26',5$$

$$+ \text{sun correct. LL/UL} = \underline{14',5} +$$

$$H_o = 27^{\circ}41',0$$

San Francisco

Date 06 / 01 / 2022

UT 18h 34m 54s

$$\text{index error} = -3'$$

$$+ \text{non adjust. error} = \underline{+1',5} +$$

$$\varepsilon = -1',5$$

L = 34°40' N

G = 123°15' W

Height of the eye = 4 m

lower limb upper limb

GHA = 088°31'

+ pp = 8°43',5 increment)

GHA = 097°14',5 G = West → subtract

G = 123°15' W G = East → add

LHA = 333°59',5

LHA < 180° ; sun in the West; P = LHA

LHA > 180° ; sun in the East; P = 360 - LHA

P = 026°00',5 NE NW SE SW

(d ↑ or ↓ = 0',3 ↓)

D = 22°25',9 S

corr. d = 0',2 ↓

D = 22°25',7 S

L = 34°40' ⇒

D = 22°25',7 +/-

(L/D) = 57°05',7 ⇒

(T1) LOG COS L = 9,9151

(T1) LOG COS D = 9,9659

(T2) LOG VERSINE P = 9,0055 +

LOG 2e T = 28,8865

(T3) COS (L/D) = 0,5433

(T4) NAT 2e T = 0,07700 -

SIN Hc = 0,4663

(T3) Hc = 27°47',5

Ho = 27°41',0

Hc = 27°47',5 -

intercept = -6',5 (+ ou -)

L et D **same** name

→ (L - D) or (D - L)

L et D **not same** name

→ (L + D)

Bataille Azimuth (T5)

m = -0.51

n = -0.34

m+n = -0.85

Z = 27°

Zv = 153°

	Latitude North		Latitude South	
	m + n > 0	m + n < 0	m + n > 0	m + n < 0
Z → Zv				
LHA > 180° morning	Zv = Z	Zv = 180 - Z	Zv = 180 - Z	Zv = Z
LHA < 180° afternoon	Zv = 360 - Z	Zv = 180 + Z	Zv = 180 + Z	Zv = 360 - Z

$$H_s = 52^\circ 18'$$

$$\varepsilon = 2',8$$

$$\text{Dip} = \underline{\quad - 2',5 \quad} +$$

$$H_a = 52^\circ 18',3$$

$$+ \text{sun correct. LL/UL} = \underline{\quad 15',3 \quad} +$$

$$H_o = 52^\circ 33',6$$

Galapagos

Date 06 / 06 / 2022

UT 15h 58m 54s

$$\text{index error} = + 1'$$

$$+ \text{non adjust. error} = + 1',8 +$$

$$\varepsilon = 2',8$$

L = 03°58' S

G = 086°54' W

Height of the eye = 2 m

lower limb upper limb

$$\text{GHA} = 045^\circ 18',9$$

$$+ pp = \underline{14^\circ 43',5} \quad \text{increment)$$

$$\text{GHA} = 060^\circ 02',4 \quad G = \text{West} \rightarrow \text{subtract}$$

$$G = \underline{086^\circ 54' W} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 333^\circ 08',4$$

$LHA < 180^\circ$; sun in the West; $P = LHA$

$LHA > 180^\circ$; sun in the East; $P = 360 - LHA$

$$P = 026^\circ 51',6 \quad \square \text{ NE} \quad \square \text{ NW} \quad \square \text{ SE} \quad \square \text{ SW}$$

$$(d \uparrow \text{ or } \downarrow = 0',3 \uparrow)$$

$$D = 22^\circ 41',5 \text{ N}$$

$$\text{corr. } d = \underline{\quad 0',3 \uparrow}$$

$$D = 22^\circ 41',8 \text{ N}$$

$$L = 03^\circ 58' \quad \Rightarrow$$

$$D = 22^\circ 41',8 \text{ +/-}$$

$$(L/D) = 26^\circ 39',8 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,9990$$

$$(T1) \quad \text{LOG COS } D = 9,9650$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{9,0330} +$$

$$\text{LOG } 2e \text{ T} = 28,9970$$

$$(T3) \quad \text{COS } (L/D) = 0,8937$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{0,0993} -$$

$$\text{SIN } H_c = 0,7944$$

$$(T3) \quad H_c = 52^\circ 36',0$$

$$H_o = 52^\circ 33',6$$

$$H_c = \underline{52^\circ 36',0} -$$

$$\text{intercept} = -2',4 \quad (+ \text{ ou } -)$$

L et D **same** name

$\rightarrow (L - D)$ or $(D - L)$

L et D **not same** name

$\rightarrow (L + D)$

Bataille Azimuth (T5)

$$m = -0.06$$

$$n = -0.42$$

$$m+n = -0.48$$

$$Z = 44^\circ$$

$$Z_v = 44^\circ$$

Z → Z _v	Latitude North		Latitude South	
	m + n > 0	m + n < 0	m + n > 0	m + n < 0
LHA > 180° morning	Z _v = Z	Z _v = 180 - Z	Z _v = 180 - Z	Z _v = Z
LHA < 180° afternoon	Z _v = 360 - Z	Z _v = 180 + Z	Z _v = 180 + Z	Z _v = 360 - Z

$$H_s = 42^{\circ}11',5$$

$$\varepsilon = 3',9$$

$$\text{Dip} = \underline{\quad - 3',6 \quad} +$$

$$H_a = 42^{\circ}11',8$$

$$\text{sun correct. LL/UL} = \underline{\quad 15',1 \quad} +$$

$$H_o = 42^{\circ}26',9$$

Tokyo

Date 06 / 03 / 2022

UT 20h 16m 54s

$$\text{index error} = + 2'$$

$$+ \text{ non adjust. error} = \underline{\quad + 1',9 \quad} +$$

$$\varepsilon = 3',9$$

$$L = 33^{\circ}21' \text{ N}$$

$$G = 150^{\circ}18' \text{ W}$$

Height of the eye = 4 m

lower limb upper limb

$$\text{GHA} = 117^{\circ}12',5$$

$$+ pp = \underline{\quad 4^{\circ}13',5 \quad} \text{ (increment)}$$

$$\text{GHA} = 121^{\circ}26',0 \quad G = \text{West} \rightarrow \text{subtract}$$

$$G = \underline{\quad 150^{\circ}18' \quad} \text{ W} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 331^{\circ}08',0$$

$LHA < 180^{\circ}$; sun in the West; $P = LHA$

$LHA > 180^{\circ}$; sun in the East; $P = 360 - LHA$

$$P = 028^{\circ}52',0 \quad \text{☒ NE} \quad \text{☐ NW} \quad \text{☐ SE} \quad \text{☐ SW}$$

$$(d \uparrow \text{ or } \downarrow = 1' \downarrow)$$

$$D = 05^{\circ}26',1 \text{ S}$$

$$\text{corr. } d = \underline{\quad 0',3 \quad} \downarrow$$

$$D = 05^{\circ}25',8 \text{ S}$$

$$L = 33^{\circ}21' \quad \Rightarrow$$

$$D = 05^{\circ}25',8 \text{ +/-}$$

$$(L/D) = 38^{\circ}46',8 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,9219$$

$$(T1) \quad \text{LOG COS } D = 9,9980$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{\quad 9,0943 \quad} +$$

$$\text{LOG } 2e \text{ T} = 29,0142$$

$$(T3) \quad \text{COS } (L/D) = 0,7796$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{\quad 0,1033 \quad} -$$

$$\text{SIN } H_c = 0,6763$$

$$(T3) \quad H_c = 42^{\circ}33',5$$

$$H_o = 42^{\circ}26',9$$

$$H_c = \underline{\quad 42^{\circ}33',5 \quad} -$$

$$\text{intercept} = -6',6 \quad (+ \text{ ou } -)$$

L et D **same** name

$\rightarrow (L - D)$ or $(D - L)$

L et D **not same** name

$\rightarrow (L + D)$

Bataille Azimuth (T5)

$$m = -0.48$$

$$n = -0.08$$

$$m+n = -0.56$$

$$Z = 41^{\circ}$$

$$Z_v = 139^{\circ}$$

	Latitude North		Latitude South	
	$m+n > 0$	$m+n < 0$	$m+n > 0$	$m+n < 0$
Z \rightarrow Zv				
LHA > 180° morning	Zv = Z	Zv = 180 - Z	Zv = 180 - Z	Zv = Z
LHA < 180° afternoon	Zv = 360 - Z	Zv = 180 + Z	Zv = 180 + Z	Zv = 360 - Z

$$H_s = 56^{\circ}17',5$$

$$\varepsilon = -0',4$$

$$\text{Dip} = -2',5 -$$

$$H_a = 56^{\circ}14',6$$

$$+ \text{sun correct. LL/UL} = 15',3 +$$

$$H_o = 56^{\circ}29',9$$

Pointe -à- Pitre

Date 26 / 09 / 2022

UT 13h 54m 01s

index error = - 2'

+ non adjust.error = +1',6 +

$\varepsilon = -0',4$

L = 16°34' N

G = 059°25' W

Height of the eye = 2 m

lower limb upper limb

GHA = 017°10',2

+ pp = 13°30',3 increment)

GHA = 30°40',5 G = West → subtract

G = 059°25',0 W G = East → add

LHA = 331°15',5

LHA < 180° ; sun in the West; P = LHA

LHA > 180° ; sun in the East; P = 360 - LHA

P = 028°44',5 NE NW SE SW

(d ↑ or ↓ = 1' ↑)

D = 01°21',8 S

corr. d = 0',9 ↑

D = 01°22',7 S

L = 16°34' ⇒

D = 01°22',7 +/-

(L/D) = 17°56',7 ⇒

(T1) LOG COS L = 9,9816

(T1) LOG COS D = 9,9999

(T2) LOG VERSINE P = 9,0906 +

LOG 2e T = 29,0721

(T3) COS (L/D) = 0,9514

(T4) NAT 2e T = 0,1180 -

SIN Hc = 0,8334

(T3) Hc = 56°27'

Ho = 56°29'9

Hc = 56°27',0' -

intercept = 2',9 (+ ou -)

L et D same name

→ (L - D) or (D - L)

L et D not same name

→ (L + D)

Bataille Azimuth (T5)

m = - 0.25

n = - 0.02

m+n = - 0.27

Z = 61°

Zv = 119°

	Latitude North		Latitude South	
	m + n > 0	m + n < 0	m + n > 0	m + n < 0
Z → Zv				
LHA > 180° morning	Zv = Z	Zv = 180 - Z	Zv = 180 - Z	Zv = Z
LHA < 180° afternoon	Zv = 360 - Z	Zv = 180 + Z	Zv = 180 + Z	Zv = 360 - Z

$$H_s = 46^{\circ}07',3$$

$$\varepsilon = 7'$$

$$\text{Dip} = \underline{\quad - 3',6 \quad} +$$

$$H_a = 46^{\circ}10',7$$

$$+ \text{sun correct. LL/UL} = \underline{\quad 15',1 \quad} +$$

$$H_o = 46^{\circ}25',8$$

Rotterdam

Date 11 / 06 / 2022

UT 08h 54m 01s

$$\text{index error} = + 5'$$

$$+ \text{non adjust. error} = \underline{+ 2'} +$$

$$\varepsilon = 7'$$

$$L = 52^{\circ}08' \text{ N}$$

$$G = 003^{\circ}54' \text{ E}$$

Height of the eye = 4 m

lower limb upper limb

$$\text{GHA} = 300^{\circ}05',2$$

$$+ pp = \underline{13^{\circ}30',3} \quad \text{increment)$$

$$\text{GHA} = 313^{\circ}35',5 \quad G = \text{West} \rightarrow \text{subtract}$$

$$G = \underline{003^{\circ}54',0} \text{ E} \quad G = \text{East} \rightarrow \text{add}$$

$$\text{LHA} = 317^{\circ}29',5$$

$LHA < 180^{\circ}$; sun in the West; $P = LHA$

$LHA > 180^{\circ}$; sun in the East; $P = 360 - LHA$

$$P = 042^{\circ}30',5 \quad \text{☒ NE} \quad \text{☐ NW} \quad \text{☐ SE} \quad \text{☐ SW}$$

$$(d \uparrow \text{ or } \downarrow = 0',2 \uparrow)$$

$$D = 23^{\circ}05',4 \text{ N}$$

$$\text{corr. } d = \underline{\quad 0',2 \uparrow}$$

$$D = 23^{\circ}05',6 \text{ N}$$

$$L = 52^{\circ}08' \quad \Rightarrow$$

$$D = 23^{\circ}05',6 \text{ +/-}$$

$$(L/D) = 29^{\circ}02',4 \quad \Rightarrow$$

$$(T1) \quad \text{LOG COS } L = 9,7880$$

$$(T1) \quad \text{LOG COS } D = 9,9637$$

$$(T2) \quad \text{LOG VERSINE } P = \underline{9,4197} +$$

$$\text{LOG } 2e \text{ T} = 29,1714$$

$$(T3) \quad \text{COS } (L/D) = 0,8743$$

$$(T4) \quad \text{NAT } 2e \text{ T} = \underline{0,1484} -$$

$$\text{SIN } H_c = 0,7259$$

$$(T3) \quad H_c = 46^{\circ}32',5$$

$$H_o = 46^{\circ}25',8$$

$$H_c = \underline{46^{\circ}32',5} -$$

$$\text{intercept} = - 6',7 \quad (+ \text{ ou } -)$$

L et D **same** name

$\rightarrow (L - D)$ or $(D - L)$

L et D **not same** name

$\rightarrow (L + D)$

Bataille Azimuth (T5)

$$m = - 0.58$$

$$n = + 0,26$$

$$m+n = - 0.32$$

$$Z = 65^{\circ}$$

$$Z_v = 115^{\circ}$$

	Latitude North		Latitude South	
	$m+n > 0$	$m+n < 0$	$m+n > 0$	$m+n < 0$
Z \rightarrow Z_v				
LHA > 180° morning	Z _v = Z	Z _v = 180 - Z	Z _v = 180 - Z	Z _v = Z
LHA < 180° afternoon	Z _v = 360 - Z	Z _v = 180 + Z	Z _v = 180 + Z	Z _v = 360 - Z